## Übungen zur Vorlesung: Wissensbasierte Systeme

Blatt 4

## Exercise 4.1:

Modify the depth-bound meta-interpreter (below) so that
a) the bound is on the total length of the proof, where the length is the total number of instances of base-level atoms that appear in the proof.
b) different base-level atoms can incur different costs on the bound. For example, most atoms could have zero cost, and some atoms could incur a positive cost.

## Depth-bounded meta-interpreter:

```
bprove(true, D).
bprove((A & B), D) <- bprove(A, D) ^ bprove(B, D).
bprove(H, D)<- D \geq0 ^ D1 is D-1 ^ (H <= B) ^ bprove(B, D1)
```


## Exercise 4.2:

The following rules are designed to determine whether a person P has achieved a score S of at least 50 in at least two exercises E.
scored-high-twice $(\mathrm{P})<=\mathrm{E} 1 \neq \mathrm{E} 2 \wedge$ scored-high $(\mathrm{P}, \mathrm{E} 1) \wedge \operatorname{scored}$-high(P, E2).
scored-high $(\mathrm{P}, \mathrm{E})<=\operatorname{score}(\mathrm{P}, \mathrm{E}, \mathrm{S}) \wedge \mathrm{S} \geq 50$.
These are the facts about Anton:
score(anton, exercise1, 63).
score(anton, exercise2, 47).
score(anton, exercise3, 73).
Determine the derivation tree using the top-down procedure for the Unique Name Assumption for the query
?scored-high-twice(anton).

