

# IP2: IMAGE PROCESSING IN REMOTE SENSING

## EXERCISE 2

**Due Date:** Mo. 16.06.2014, 8 am

**Scope:** Electromagnetic Radiation

Please send your solutions via e-mail to: [germer@informatik.uni-hamburg.de](mailto:germer@informatik.uni-hamburg.de)

Use the subject "IP2-Ex2 GROUPNAME" and write your solutions

- Either as plain text or
- Convert them to PDF and attach the PDF to the mail.

### 1 POLARIZATION OF ELECTROMAGNETIC WAVES

6 P.

Two linear polarized traversal waves of same wavelength and amplitude but with a different phase are moving along the z-axis. The first wave has an assigned electric field in parallel to the x-axis, the second wave's electric field is parallel to the y-axis. The phase shift of wave 1 with respect to wave 2 is of  $90^\circ$ .

Which polarization do you expect for a superposition of both waves? Explain the result and give a graphical interpretation.

### 2 DOPPLER EFFECT

6 P.

A driver has been fined by the police for ignoring a red traffic light. When interviewed at the court he makes the following testimony: "I was not able to see the red light signal, since – due to the Doppler effect – the red light was shifted into the ultra violet (UV) area of the spectrum. Thus the sign of the traffic light was invisible to me!"

Assume the following wavelengths:

$$\lambda_{\text{red}} = 700 \text{ nm}$$

$$\lambda_{\text{uv}} = 350 \text{ nm}$$

How fast would the driver be, if the traffic light were invisible to him?

### 3 BASIC RADIOMETRIC PROPERTIES: RADIANT FLUX

18 P.

Assume that the following values are given:

Radiant intensity of the Sun:  $I_s = 1.24 \cdot 10^{25} \text{ W sr}^{-1}$

Distance between Earth and Sun:

At perihelion (ca. January, 3<sup>rd</sup>):  $147.1 \cdot 10^6 \text{ km}$

At aphelion (ca. July, 5<sup>th</sup>):  $152.1 \cdot 10^6 \text{ km}$

Geographic Location of Hamburg: N 53°33.000', E 010°00.000'

Declination of the Sun<sup>1</sup>:

January, 3<sup>rd</sup>: -22°50.800'

July, 5<sup>th</sup>: 22°48.300'

Reflection factors:

Water: 0.05

Coniferous forest: 0.04

Derive the following values:

a) **Dihedral angle  $d\Omega_S$  and distance  $r_S$ :**

At which dihedral angle  $d\Omega_S$  appears a horizontally aligned terrain area element  $dF_G$  in Hamburg, observed from the Sun? (The dihedral angle of the projection  $dF_S$  from  $dF_G$ , irradiated perpendicular by the Sun):

- I. At perihelion (January, 3<sup>rd</sup>)
- II. At aphelion (ca. July, 5<sup>th</sup>)

b) **Dihedral angle  $d\Omega_S$  and zenith angle  $\Theta$ :**

Determine the altitude of the Sun at noon (when the Sun stays south with maximal altitude) in Hamburg w.r.t to the southern horizon. How large is the zenith angle  $\Theta$  at this time?

- I. At the perihelion transit of the Earth
- II. At the aphelion transit of the Earth

c) **Radial intensity  $E_G$ :**

- I. Compute the radial intensity  $E_G$  of the sun w.r.t a horizontally aligned terrain area element  $dF_G$  in Hamburg at noon for January, 3<sup>rd</sup> and July, 5<sup>th</sup>. Neglect all atmospheric effects.
- II. When is the radial intensity higher? Closer to the Sun or far distant?

d) **Radiant exitance  $M_G$  and radiance  $L_G$ :**

Assume, that we are looking perpendicular (from above) to a group of conifers at the bank of the Alster lake.

- I. Compute the Radiant exitance  $M_G$  for the conifers and the water surface of the lake for January, 3<sup>rd</sup> and July, 5<sup>th</sup>.
- II. If  $E_G$  is given, how does the radiance of the water surface  $L_{G,W}$  differ from the radiance of the conifers  $L_{G,N}$ ?

**Total points: 30**

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<sup>1</sup> The declination denotes the angle between the equatorial plane and the direction to the star, measured at the Earth center.